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Introduction to Computed Tomography

Part IV: Geometry



- 1 Beamline configurations
- 2 Common beam geometries
- 3 Beam geometry in neutron imaging
- 4 Large samples
- 5 The acquisition axis
- 6 Summary



- Common beam geometry and their use
- Beam geometry for neutron imaging
- The importance of the acquisition axis



Different beamline configurations











- Produces 2D projections
- No geometric unsharpness
- Simple reconstruction, filtered back projection [Buzug, 2008]





- Line-wise scan
 - Beam incidence must be perpendicular to detector plane
- Magnifying in one direction





- + Uses 2D-projections.
- + Magnifying due to beam divergence.
- Non-trivial reconstruction using [Feldkamp et al., 1984].
- Only in the central slice is exact.









- Exact 3D solution
- Long objects
- Reconstruction using Katsevich[Katsevich, 2002]



Neutron imaging - Pin hole geometry

Penumbra blurring



Collimation ratio

The width of the penumbra blurring is described by the collimation ratio:

L Distance from aperture to sample

 $\frac{L}{D} = \frac{l}{d}$

- D Width of aperture diameter
 - / Distance from sample to detector
- d Width of unsharpness



Typical collimation ratio L/D = 100 – 2000 [mm/mm]



Fig 3. Schematic of the edge sample (a) and neutron radiographs obtained with the sample at 3mm (b) and 320mm (c) away from the detector. The edge unsharpness is mainly caused by penumbra blurring.



Fig 4. It is possible to estimate the collimation ratio by measuring the edge <u>unsharpness</u> at different distances from the detector.

[Kaestner et al., 2017]







Improved results using CBCT reconstruction



[Kaestner et al., 2012]



Large samples – The problem

Requirement

Projections from at least 180° + sample must always be visible.



Two options to handle samples larger than the field of view

- Translate the COR and use a 360° orbit.
- Truncated reconstruction



Idea

Translate the COR to the side of the projection





Requirements

- The projections must be stitched
- Projections must be acquired over 360°
- More voxels requires more projections



Truncated or Local tomography

A truncated tomography has incomplete data support.

Effects of truncation

- Some attenuation information is missing → bias The shadow contains more attenuation than the projection data shows.
- Truncation gives spikes on the edges. The derivative in the reconstruction formula produce edge artifacts.



Origin The derivative of the truncated edge is steep Solution Add a smooth transition from edge to zero



Original



Position of the acquisition axis

The axis

The point where all rays intersect is called the center of rotation for a single slice or the rotation axis for many slices. This point must be provided to the reconstructor.



Centering artifacts







The impact of center misalignment







Center offset = -8 pixels









Projection data

- Mirror one projection
- Translate until they overlap
- Center = midpoint + translation distance





Tilted sample or table





Along the beam



- Hard to correct
- Requires vector based reconstructor and geometry

Across the beam



Small angles corrected with COR shifts

Large angles corrected with rotation



- In tomography, different beam geometries are used.
- Neutron imaging is approximately parallel.
- The acquisition axis is very important.
- The sample should be in the field of view.



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